

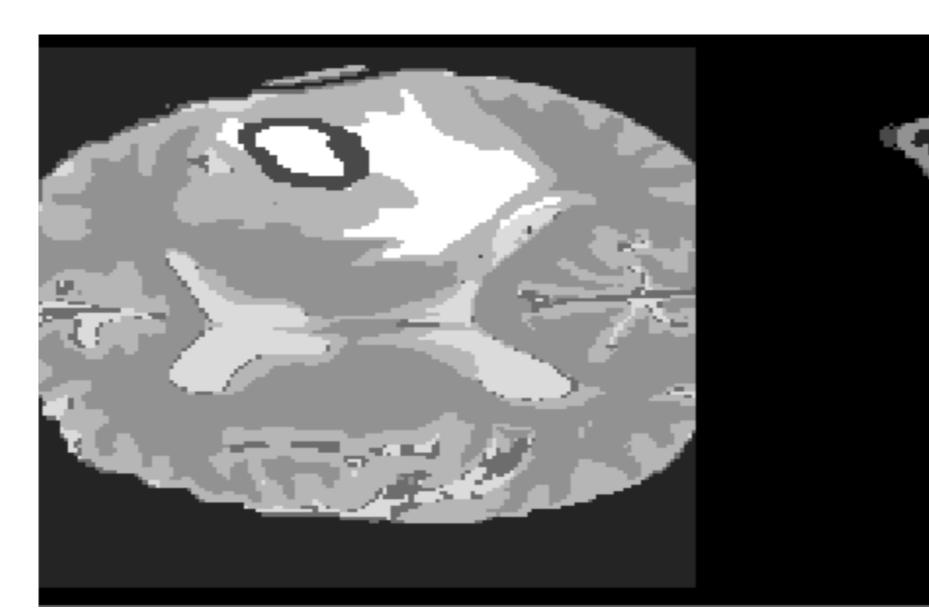
Unsupervised Learning for Analyzing Brain Tumors Christopher Elamri (mcelamri@stanford.edu), Guillermo Angeris (guillean@stanford.edu), Teun de Planque (teun@stanford.edu)

Motivation

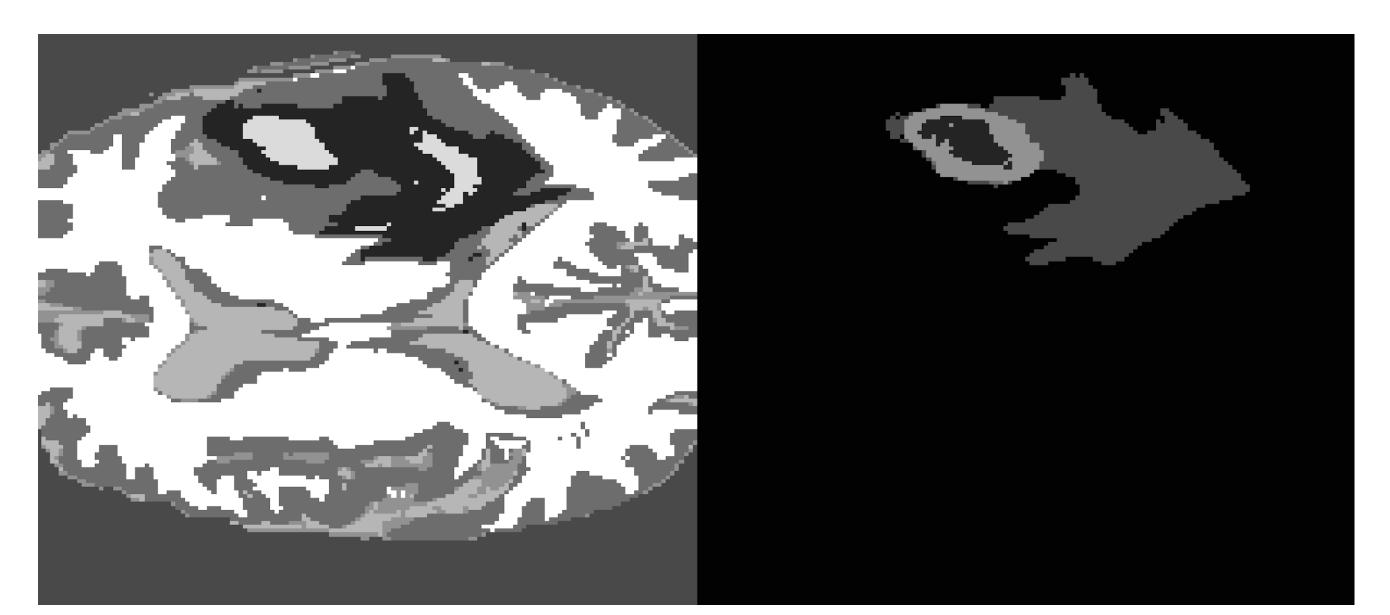
Early diagnosis and better understanding of the specific types of tumors of brain cancer patients can significantly increase brain cancer survival rates. We used unsupervised learning algorithms to directly analyze brain images in order to discover spatial regions correlated to different types of brain tumors.

Dataset

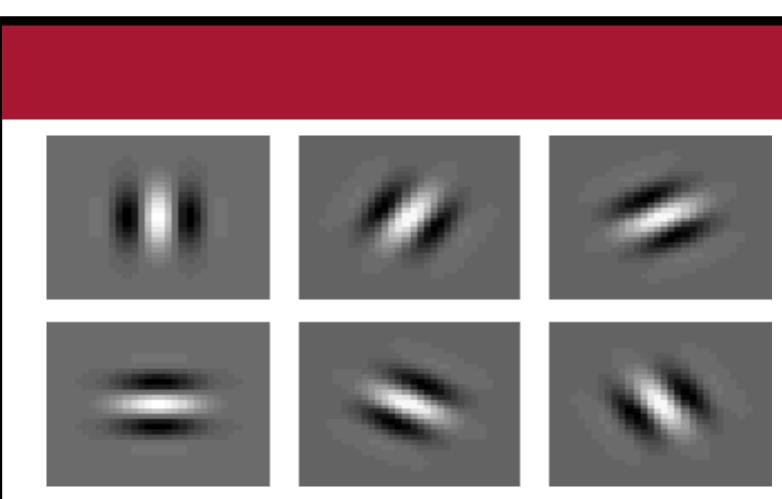
We use a dataset containing four types of magnetic resonance (MR) 3D images of the brain of each cancer patient. Each image has four modalities (FLAIR, T1 pre-contrast, T1 post-contrast, and T2 weighted). Each modality provides different imaging contrasts and delineations that differentiate parts of the tumor from normal adjacent cells.



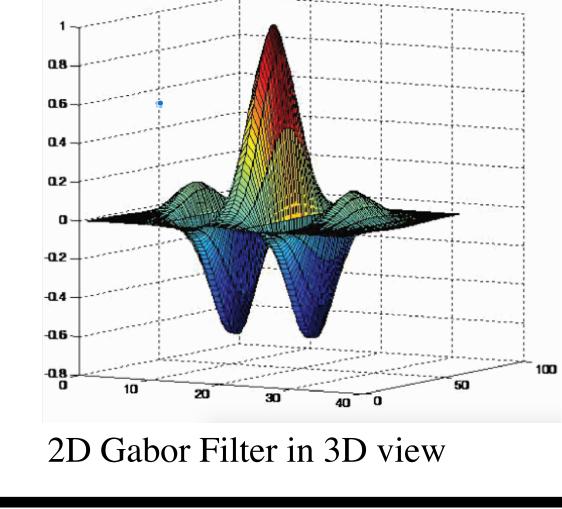
The right image shows the tumor analysis of a doctor, and the left image shows our analysis using k-means clustering with k = 7 without Gaussian blur preprocessing



The right image shows the tumor analysis of a doctor, and the left image shows our analysis using k-medoids clustering with k = 7 without Gaussian blur preprocessing



Gabor filters with different spatial orientations



Gabor Filters

We preprocess the image with Gabor filtering. A Gabor filter is a complex sinusoid modulated by a 3D Gaussian function:

where

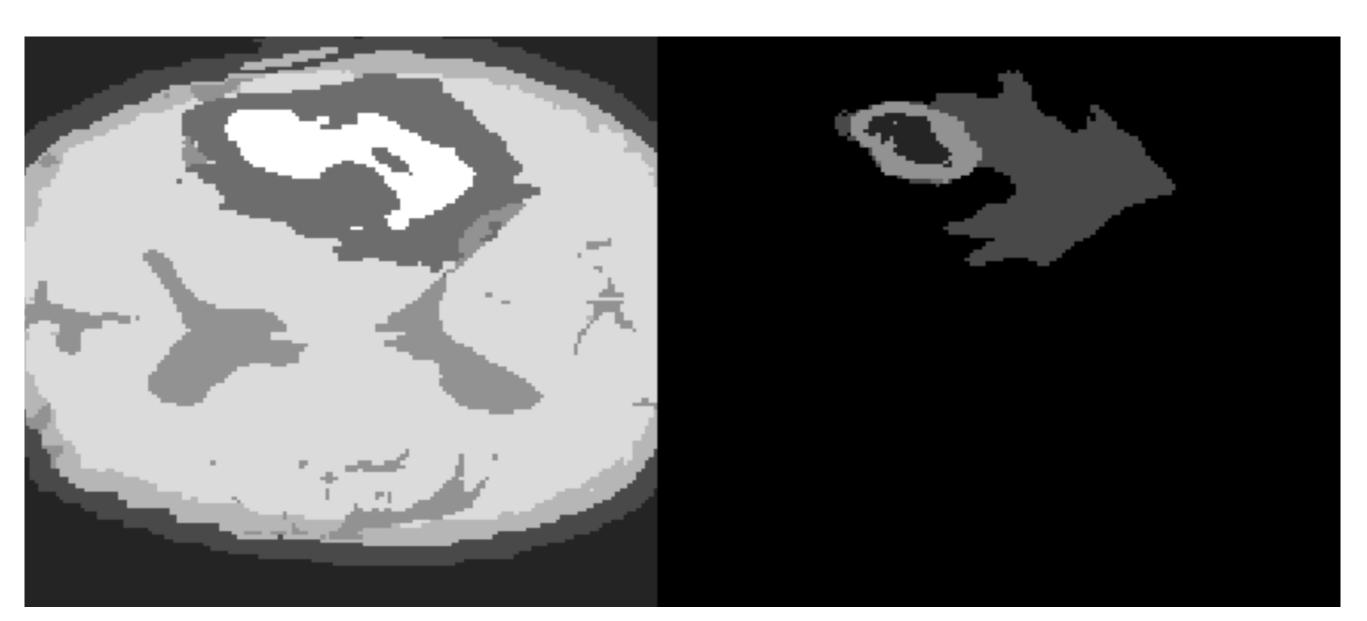
$$g(x', y', z') = g(\bar{q}) = \frac{1}{(2\pi)^{3/2} |\Sigma|^{1/2}} \exp\left(-\frac{1}{2}\bar{q}^T \Sigma^{-1}\bar{q}\right)$$

Here, Σ is diagonal and

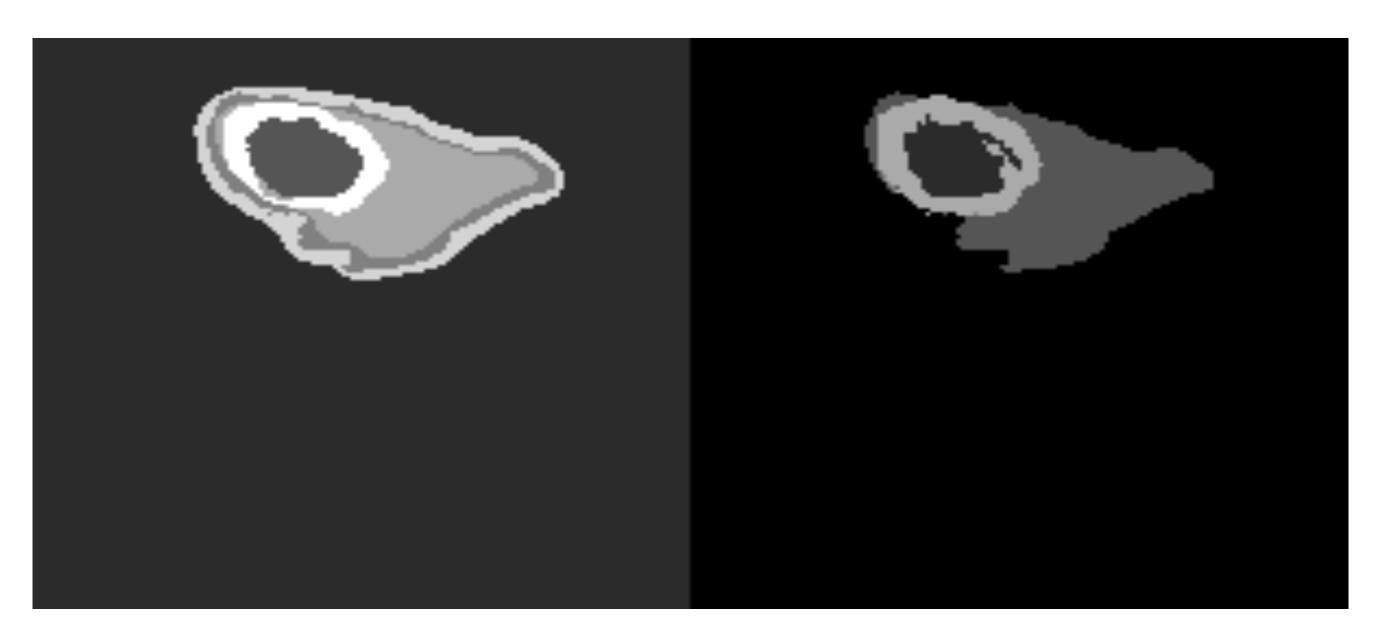
We generate multiple Gabor filter banks in order to decompose 3D images into relevant texture features for the purpose of classification. The 3D image is then convolved in the time domain with each Gabor filter. In addition, Gabor filters can be tuned into various orientations and spatialfrequencies, which enable us to extract view-invariant and rotationallyinvariant features.

Experimental Results





The right image shows the tumor analysis of a doctor, and the left image shows our analysis using k-means clustering with k = 7 with Gaussian blur preprocessing



The right image contains the tumor analysis of a doctor, and the left image shows our analysis using k-means clustering with k = 7 with Gabor filters (32 filters)

$$g(x', y', z')s(x, y, z)$$

 $= \exp(-j2\pi(vx + uy + wz))$

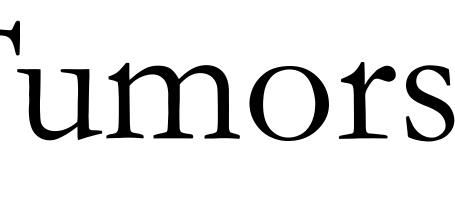
The clustering algorithms by themselves essentially ignore any kind of spatial information when run directly on the voxel values, so we pre-process the voxels using a Gaussian convolution kernel. Gaussian Blur image processing introduces spatial correlations between each voxel and its neighboring counterparts, and reduces details and image noise. Thus, we convolve our 3D image with a 3D Gaussian function:

where we decay by the euclidean norm, measured from the center pixel of the Kernel in question. Additionally, the bandwidth of the Gaussian convolution kernel was empirically found using cross-validation.

It is not difficult to imagine that there may exist several types of brain tumors each with their own idiosyncrasies regarding medical treatment (e.g. some tumors may be less responsive to specific kinds of treatments that are highly effective for other types) for which automatic classification and description will greatly help patients and doctors in treating them. Overall, our classifications may prove to be helpful not only in early detection but also in improving cancer treatment of brain tumors.

This project would not have been possible without the help of the Gevaert's Biomedical Informatics Lab, which provided both datasets and ongoing support.

[1] Ferlay, J. (2015). World Cancer Statistic For the Most Commons Types of Cancer. Retrieved from wcrf.org/int/cancer-facts-figures/ worldwide-data [2] Qian, Z., Metaxas, D., & Axel, L. (2006, August 30). Extraction and Tracking of MRI Tagging Sheets Using a 3D Gabor Filter Bank. Engineering in Medicine and Biology Society, 4-4. [3] Qian, H. (2014, July 14). Lecture Notes on the Gaussian Distribution. Retrieved December 7, 2015, from http://web.eecs.utk.edu/~qi/ece472-572/reference/gaussian.pdf [4] Fisher, R., Perkins, S., Walker, A., & Wolfart, E. (2011, March 6). Gaussian Smoothing. Retrieved December 6, 2015, from http:// homepages.inf.ed.ac.uk/rbf/HIPR2/gsmooth.htm





Gaussian Blur

 $\hat{g}(x,y,z) = \frac{1}{(2\pi)^{3/2}\sigma^3} \exp\left(-\frac{x^2 + y^2 + z^2}{2\sigma^2}\right)$

Conclusion

Acknowledgements

References